

The Twentieth Annual ACM International Collegiate  
**Programming Contest Finals**

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## Problem

10-20-30

Input File: 10-20-30.in

A simple solitaire card game called 10-20-30 uses a standard deck of 52 playing cards. The value of a face card (king, queen, jack) is 10. The value of an ace is one. The value of each of the other cards is the face value of the card (2, 3, 4, etc.). You begin by dealing out seven cards, left to right. Continue by dealing the topmost cards from the deck onto successive piles, proceeding from left to right. After playing a card on the rightmost pile, the next pile upon which you play a card is the leftmost pile.

For each card placed on a pile, check to see if the sum of three successive cards totals 10, 20, or 30. If so, pick up the three cards and place them on the bottom of the deck. The successive three cards can be:

1. the top two and bottom one,
2. the top one and the bottom two, or
3. the bottom three cards.

Here, the top of the pile refers to the card uppermost on the board, *not* the card on top of the others. For this problem, always check the pile in the order just described. Collect the cards in the order they appear on the pile, turned over (face down), and then put at the bottom of the deck. Picking up three cards may expose three more cards that can be picked up. If so, pick them up. Continue until no more sets of three can be picked up from the pile.

For example, suppose a pile contains 5 9 7 3 where the 5 is at the top of the pile, and then a 6 is played. The top two cards plus the bottom card ( $5 + 9 + 6$ ) sum to 20. The new contents of the pile after picking up those three cards becomes 7 3. Also, the bottommost card in the deck is now the 6, the card above it is the 9, and the one above the 9 is the 5.



original pile



after playing 6



after picking up

However, if a queen were played,  $5 + 9 + 10 = 24$ , and  $5 + 3 + 10 = 18$ , but  $7 + 3 + 10 = 20$ , so the bottom three cards would be picked up, leaving the pile as 5 9.



original pile



after playing queen



after picking up

If a pile contains only three cards when the three sum to 10, 20, or 30, then the pile “disappears” when the cards are picked up. That is, subsequent play skips over the position the now-empty pile occupied. You win if you manage to pick up all of the cards. You lose if you deal all of the cards out of the deck onto the piles. It is also possible to have a draw if neither of the previous two conditions ever occurs.

Write a program that will play a games of 10-20-30 given initial card decks as input.

### Input

Each input set consists of 52 integers separated by spaces and/or ends of lines. The values of the integers represent card values of the initial deck for that game. You may assume the input represents a proper deck. Input is terminated by a line containing a single zero (0).

### Output

For each input line, output whether the result of the game is a win, loss, or a draw, and output the number of times a card is played onto a pile before the game results can be determined. (A draw occurs as soon as the state of the game is repeated.) Use the format shown in the “Output for the Sample Input” section.

### Sample Input

```
2 6 5 10 10 4 10 10 10 4 5 10 4 5 10 9 7 6 1 7 6 9 5 3 10 10 4 10 9 2 1
10 1 10 10 10 3 10 9 8 10 8 7 1 2 8 6 7 3 3 8 2
4 3 2 10 8 10 6 8 9 5 8 10 5 3 5 4 6 9 9 1 7 6 3 5 10 10 8 10 9 10 10 7
2 6 10 10 4 10 1 3 10 1 1 10 2 2 10 4 10 7 7 10
10 5 4 3 5 7 10 8 2 3 9 10 8 4 5 1 7 6 7 2 6 9 10 2 3 10 3 4 4 9 10 1 1
10 5 10 10 1 8 10 7 8 10 6 10 10 10 9 6 2 10 10
0
```

### Output for the Sample Input

```
Win : 66
Loss: 82
Draw: 73
```

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**Problem**  
**Calling Circles**  
Input file: circles.in

If you've seen television commercials for US long-distance phone companies lately, you've noticed that AT&T and MCI have been spending a lot of money trying to convince people that they provide the best service at the lowest cost. MCI has "calling circles." You provide a list of people that you call most frequently. If you call someone in your calling circle (who is also an MCI customer), you get bigger discounts than if you call outside your circle. AT&T points out that you only get the big discounts for people in your calling circle, and if you change who you call most frequently, it's up to you to add them to your calling circle.

LibertyBell Phone Co. is a new company that thinks they have the calling plan that can put both MCI and AT&T out of business. LibertyBell has calling circles, but they figure out your calling circle for you. This is how it works. LibertyBell keeps track of all phone calls. Your calling circle consists of all people whom you call and who call you, either directly or indirectly. For example, if Ben calls Alexander, Alexander calls Dolly, and Dolly calls Ben, they are all within the same circle. Also, if Dolly also calls Benedict and Benedict calls Dolly, then Benedict is in the same calling circle as Dolly, Ben, and Alexander. Finally, if Alexander calls Aaron but Aaron doesn't call Alexander, Ben, Dolly, or Benedict, then Aaron is not in the circle.

You've been hired by LibertyBell to write the program to determine calling circles given a log of phone calls between people.

**Input**

The input file will contain one or more data sets. Each data set begins with a line containing two integers,  $n$  and  $m$ . The first integer,  $n$ , represents the number of different people who are in the data set. The maximum value for  $n$  is 25. The remainder of the data set consists of  $m$  lines, each representing a phone call. Each call is represented by two names, separated by a single space. Names are first names only (unique within a data set) and consist of only alphabetic characters; no name is longer than 25 letters. For example, if Ben called Dolly, it would be represented in the data file as

Ben Dolly

Input is terminated by values of zero (0) for  $n$  and  $m$ .

**Output**

For each input set, output a header line with the data set number, followed by a line for each calling circle in that data set. Each calling circle line contains the names of all the people within the circle, separated by comma-space (a comma followed by a single space). Consecutive output sets are separated by a single blank line.

### Sample Input

5 6  
Ben Alexander  
Alexander Dolly  
Dolly Ben  
Dolly Benedict  
Benedict Dolly  
Alexander Aaron  
14 34  
John Aaron  
Aaron Benedict  
Betsy John  
Betsy Ringo  
Ringo Dolly  
Benedict Paul  
John Betsy  
John Aaron  
Benedict George  
Dolly Ringo  
Paul Martha  
George Ben  
Alexander George  
Betsy Ringo  
Alexander Stephen  
Martha Stephen  
Benedict Alexander  
Stephen Paul  
Betsy Ringo  
Quincy Martha  
Ben Patrick  
Betsy Ringo  
Patrick Stephen  
Paul Alexander  
Patrick Ben  
Stephen Quincy  
Ringo Betsy  
Betsy Benedict  
Betsy Benedict  
Betsy Benedict  
Betsy Benedict  
Betsy Benedict  
Betsy Benedict  
Quincy Martha  
0 0

### Output for the Sample Input

Calling circles for data set 1:  
Ben, Alexander, Dolly, Benedict  
Aaron

Calling circles for data set 2:  
John, Betsy, Ringo, Dolly  
Aaron  
Benedict  
Paul, George, Martha, Ben, Alexander, Stephen, Quincy, Patrick

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## Problem

### Cutting Corners

Input file: corner.in

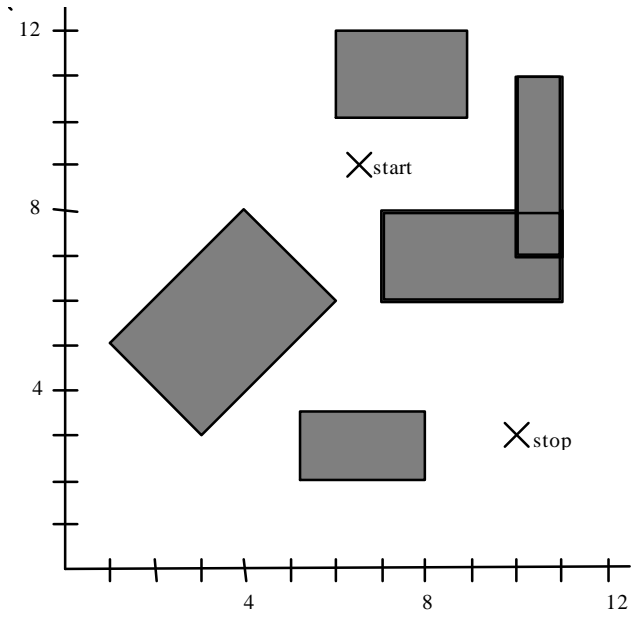
Bicycle messengers who deliver documents and small items to businesses have long been part of the guerrilla transportation services in several major U.S. cities. The cyclists of Boston are a rare breed of riders. They are notorious for their speed, their disrespect for one-way streets and traffic signals, and their brazen disregard for cars, taxis, buses, and pedestrians.

Bicycle messenger services are very competitive. Billy's Bicycle Messenger Service is no exception. To boost its competitive edge and to determine its actual expenses, BBMS is developing a new scheme for pricing deliveries that depends on the shortest route messengers can travel. You are to write a program to help BBMS determine the distances for these routes.

The following assumptions help simplify your task:

- Messengers can ride their bicycles anywhere at ground level except inside buildings.
- Ground floors of irregularly shaped buildings are modelled by the union of the interiors of rectangles. By agreement any intersecting rectangles share interior space and are part of the same building.
- The defining rectangles for two separate buildings never touch, although they can be quite close. (Bicycle messengers—skinny to a fault—can travel between any two buildings. They can cut the sharpest corners and run their skinny tires right down the perimeters of the buildings.)
- For a given route, the starting and stopping points are never inside buildings.
- There is always some route from a starting point to a stopping point.

Your program must be able to process several scenarios. Each scenario is a bird's-eye snapshot showing the buildings and the starting and ending points for a delivery route. The picture below is a typical scenario.



The input file represents several scenarios. Input for each scenario consists of lines as follows:

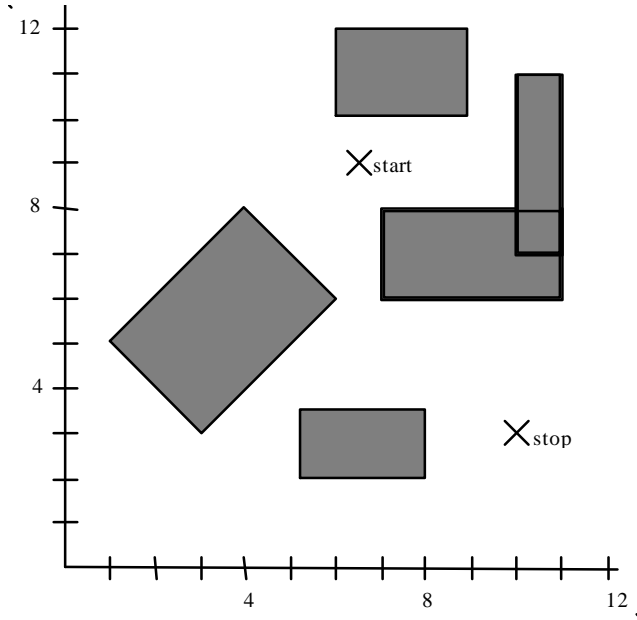
- |                      |                           |   |
|----------------------|---------------------------|---|
| First line:          | $n$                       | The number of rectangles describing the buildings in the scenario. There are from 0 to 100 such rectangles inclusive. |
| Second line:         | $x_1 y_1 x_2 y_2$         | The $x$ - and $y$ -coordinates of the starting and stopping points of the route.                                      |
| Remaining $n$ lines: | $x_1 y_1 x_2 y_2 x_3 y_3$ | The $x$ - and $y$ -coordinates of three vertices of a rectangle.  |

The  $x$ - and  $y$ -coordinates of all input data are real numbers between 0 and 1000 inclusive. Successive coordinates on a line are separated by one or more blanks. The integer -1 follows the data of the last scenario.

To avoid problems with real precision, the input data set restricts all coordinates to be between 0 and 1000 inclusive. The interior enclosed by any two intersecting rectangles will be at least large enough to contain a square of .01 unit on a side. In addition, two buildings that do not intersect will be at least .01 unit apart.

Output should number each scenario (Scenario #1, Scenario #2, etc.) and give the distance of the shortest route from starting to stopping point as illustrated in the Sample Output below. The distance should be written with two digits to the right of the decimal point. Output for successive scenarios should be separated by blank lines.

The following scenario is described by the Sample Input below.



**Sample Input**

```

5
6.5  9    10  3
1     5    3   3    6   6
5.25 2    8   2    8   3.5
6     10   6   12   9   12
7     6    11  6    11  8
10    7    11  7    11  11
-1

```

**Sample Output**

```

Scenario #1
  route distance: 7.28

```

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**Problem**  
**Cutting Corners**  
Input file: corner.in

Bicycle messengers delivering documents and small items from one office building to another have long been part of the guerrilla transportation services in several major U.S. cities. The cyclists themselves are a rare breed of riders who are notorious for their speed, their disrespect for one-way streets and traffic signals, and their unflinching bravery in facing motorized vehicles and pedestrians alike.

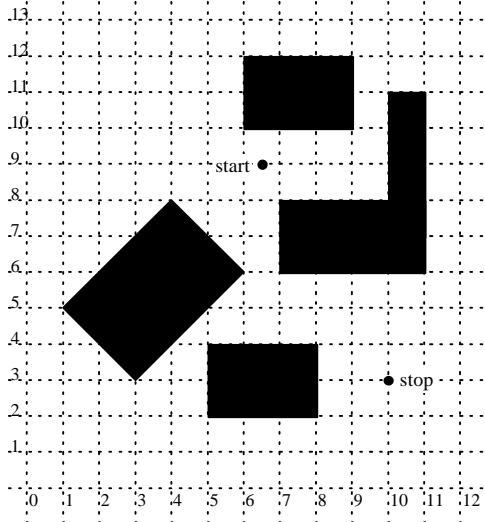
Bicycle messenger services tend to be very competitive, and Billy's Bicycle Messenger Service is no exception. In order to boost its competitive edge as well as determine its actual expenses, BBMS is developing a new scheme for pricing deliveries that depends in part on the routes messengers travel. You are to write a program to help BBMS determine the minimum distances for various routes.

The following assumptions simplify your task:

- Messengers can ride their bicycles anywhere at ground level except inside buildings.
- Ground floors of buildings consist of rectangles. If two rectangles making up ground floors touch, they share interior space. In that case, they are considered to be part of the same building.
- Two different buildings do not touch, although they can be quite close. (Bicycle messengers—skinny to a fault—can travel between any two different buildings.)
- Starting and stopping points for any given trip are never in the interiors of buildings.
- It is always possible to travel from the starting to stopping point for each trip.

Input for your program will be several scenarios of bicycle delivery trips. Each scenario is a bird's-eye snapshot showing the locations of the buildings and the starting and ending points for a route (all measured with respect to a hypothetical infinite square grid). The picture below is a typical snapshot of buildings, which are shaded, and the route's starting and stopping points. All are superimposed on a grid.





The input file represents several snapshots. Input for each snapshot consists of lines as follows:

First line:	$n$	The number of rectangles comprising buildings in the snapshot (an integer greater than or equal to 0)
Second line:	$x_1 y_1 x_2 y_2$	The $x$ - and $y$ -coordinates of the starting and stopping points of the route.
Remaining $n$ lines:	$x_1 y_1 x_2 y_2 x_3 y_3$	The $x$ - and $y$ -coordinates of three vertices of the rectangle representing a rectangular part of a building.

The  $x$ - and  $y$ -coordinates of all input data are real numbers between 0 and 1000 inclusive. Successive coordinates on a line are separated by one or more blanks. The end of all input is signified by a "First line" with a negative number of rectangles.

To avoid problems with real precision, the input data set restricts all coordinates to be between 0 and 1000 inclusive. The interior enclosed by any two intersecting rectangles will be at least large enough to contain a square of .01 unit on a side. In addition, two buildings that do not intersect will be at least .01 unit apart.

Output for each snapshot is the number of the input record (snapshot #1, snapshot #2, etc.) and the distance of the shortest path from the starting to stopping points that does not go through the interior of any building. Distance should be shown with two digits to the right of the decimal. Output for successive snapshots should be separated by blank lines.

The following input data file corresponds to the single snapshot from the illustration on the opposite side.

### Sample Input

```

5
6.5 9 10 3
1 5 3 3 6 6
5.25 2 8 2 8 3.5
6 10 6 12 9 12
7 6 11 6 11 8
10 7 11 7 11 11
-1

```

### Output for the Sample Input

```

Snapshot #:1
route distance: 7.28

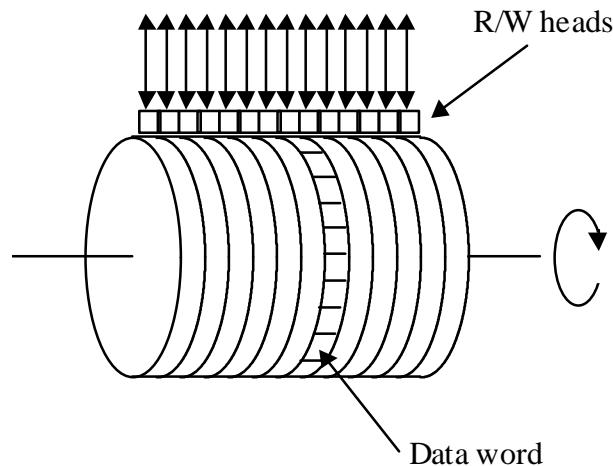
```

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**Problem**  
**Bang the Drum Slowly**  
Input File: drum.in

Many years ago the “primary memory” of most computer systems was a magnetic drum. Read/write heads were placed so they could access data from the magnetic outer surface as the drum rotated along its horizontal axis. The following illustration gives the basic idea:



As the drum rotated, the data word under the read/write head(s) could be accessed. The drum continued to rotate after an instruction was fetched. After the execution of an instruction, the word ready to be accessed by the read/write head(s) was typically many addresses away. To minimize the delay that would occur if instructions to be executed sequentially were placed in sequential addresses on the drum, designers of these machines frequently included the next instruction’s drum address as a field in the instruction (that is, each instruction included an explicit “next instruction” address). Then “optimizing” assemblers could fill in the next instruction field with the address of the first available word ready to be read by the drum as soon as the current instruction was completed.

In this problem we want to determine the average execution time of simple programs without loops. We will consider only a single read/write head on a single track. Assume that the locations on that track are sequentially numbered 1 through  $n$  (where  $n$  is an input data item). All instructions require the same length of time to execute, specifically the same time as it takes the drum to rotate past  $t$  (an input data item) words.  $t$  does not include the time to read the instruction from the drum, nor does it include the additional rotational delay that might be required if the next instruction isn’t at the “optimum” address. These factors must, however, be included in calculating the average execution time.

There are three types of instructions: terminal, conditional and unconditional. Terminal instructions don’t have a “next instruction” address, since they terminate the execution of a program. Conditional instructions have two “next instruction” addresses, and unconditional instructions have only one “next instruction” address. For simplicity, we will assume equal probability of taking each branch in a conditional instruction.

## Assumptions

- At the beginning of each test case the drum is positioned so that the instruction at location 1 is about to be read.
- Each program begins execution with the word in location 1.
- The time to read an instruction is the same as the time to
- Each test case is properly constituted. That is, the values for  $n$  and  $t$  are in the ranges given below, each program has an instruction at each location referenced, each “next instruction” address is valid, and there are no loops.
- There will always be at least one terminal instruction, but there may be several.
- Execution times are expected to be accurate to and displayed with four fractional digits.

## Input

The input consists of a number of test cases. The input for each test case begins with a line containing integer values for  $n$  ( $1 < n < 50$ ) and  $t$  ( $0 < t < n$ ), separated by a space. This line is followed by a sequence of lines containing integers giving instruction addresses, opcodes, and branch addresses. Specifically, for each instruction there is a location (between 1 and  $n$ ), a number of “next instruction” addresses (0 for terminal instruction, 1 for unconditional instruction, and 2 for conditional instruction), and that many branch addresses. The last instruction is followed by 0 on a line by itself. The input set is terminated by values of 0 for both  $n$  and  $t$ .

## Output

For each test case, display the case number (they are numbered sequentially starting with 1) and the average execution time for the program, expressed in units of *words*.

## Sample Input

```
10 5
1 0
0
10 5
1 1 6
6 0
0
10 5
1 1 7
7 0
0
10 5
1 2 7 8
7 0
8 0
0
10 6
8 0
7 1 3
3 0
1 2 7 8
0
0 0
```

## Output for the Sample Input

```
Case 1. Execution time = 6.0000 words
Case 2. Execution time = 21.0000 words
Case 3. Execution time = 12.0000 words
Case 4. Execution time = 12.5000 words
Case 5. Execution time = 26.5000 words
```

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**Problem**  
**Pattern Matching Prelims**  
Input file: pattern.in

Some algorithms for optical character recognition compare a scanned image with templates of “perfect” characters. Part of the difficulty with such comparisons is deciding where to start the comparison. This is because the characters in the scanned image are subject to noise and distortion, resulting in changes in size, position, and orientation. A procedure that is sometimes used to deal with changes in position matches the “center of gravity” of the scanned character and the templates against which it is compared. In this problem you are to determine the “centers of gravity” of scanned images of characters.

For our purposes, a scanned image will be a rectangular array of real numbers, each of which represents the gray-scale value of a point in a scanned image. Each gray-scale value will be between 0 (representing a totally white region) and 1 (representing a totally black region). The array will have no more than a total of 40 rows and columns.

The center of gravity will always correspond to a particular element in the array. If the center of gravity is the element in the  $i$ th row and  $j$ th column, for example, then we can say that the sum (or “weight”) of the elements in two portions of the array left after deleting the  $i$ th row would be equal to each other. Likewise, the sum of the elements in the two array portions formed by deleting the  $j$ th column would be equal. Consider the array shown below, which might have resulted from scanning a lower case “o.” The center of gravity for this array is uniquely in row 3, column 3. The sum of the elements in each array portion formed by deleting the third row is 5.65; the sum of each array portion formed by deleting the third column is 5.60.

.7	.75	.8	.75	.8
.55	.3	.2	.1	.7
.8	.1	.0	.0	.8
.7	.0	.0	.0	.8
.8	.9	.8	.75	.9

In most cases, however, the center cannot be placed as precisely as this. Thus the rule is that the center of gravity is to be placed so as to minimize the difference between the sums of the two portions of the array formed by deleting the row of the center of gravity and similarly for the portions formed by deleting the column of the center of gravity.

**Input**

The input will consist of a sequence of scanned character images. Input for each image will begin with two integers specifying the number of rows and columns in the scanned data. This will be immediately followed by the scanned gray-scale data given in row-major order. A pair of zeroes will follow the data for the last input image.

**Output**

For each input character image, display its number (they are sequentially numbered starting with 1), and the row and column corresponding to the center of gravity. If there are more than one center of gravity, the one with the largest row and column should be displayed. The sample that follows illustrates a reasonable output format.

### Sample Input

```
5 5
.1 .2 .1 .2 .1
.1 .2 .3 .1 .1
.2 .3 .1 .1 .3
.4 .1 .1 .1 .2
.2 .2 .3 .3 .1

5 10
.1 .1 .1 .1 .1 .1 .1 .1 .1 .1
.2 .2 .2 .2 .2 .2 .2 .2 .2 .2
.3 .3 .3 .3 .3 .3 .3 .3 .3 .3
.4 .4 .4 .4 .4 .4 .4 .4 .4 .4
.5 .5 .5 .5 .5 .5 .5 .5 .5 .6

0 0
```

### Output for the Sample Input

```
Case 1: center at (3, 3)
Case 2: center at (4, 6)
```

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**Problem**  
**Nondeterministic Trellis Automata**

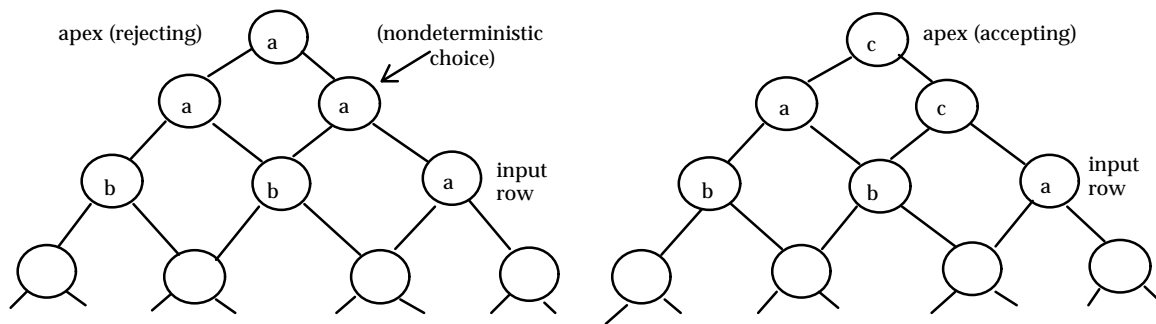
Input file: trellis.in

A *nondeterministic trellis automaton* (NTA) is a kind of parallel machine composed of identical finite-state processors arranged in an infinite triangular trellis, or series of rows of processors. The top, or apex, of the triangle is a single processor. The next row has two processors and each successive row of an NTA has one more processor than the row above it. Each processor in an NTA is connected to two children in the row below it. Computation in an NTA occurs bottom up; the state of each processor in a row is based on the state of the processor's children and a transition table. The input to an NTA is the initial configuration, or state, of one row of processors. The input is specified by a string that gives the initial state of each processor in a row so that an  $n$ -character string specifies the initial configuration for a row of  $n$  processors. Computation proceeds up the NTA to the apex by nondeterministically calculating the state of each processor in a row based on the transition table and the state of the processor's children in the row below.

Transitions are computed nondeterministically; an input is *accepted* if some computation puts the apex processor into an accepting state. An input is *rejected* if no computation puts the apex processor into an accepting state. For example, the table below shows transitions for a 3-state NTA. States are labeled by characters "a", "b", and "c"; the only accepting state is "c".

		right child				
		<b>a</b>	<b>b</b>	<b>c</b>		
State transition table:	left child	<b>a</b>	a	a	c	State c is the only accepting state
	<b>b</b>	a,c	a	b		
	<b>c</b>	c	b	a		

The diagram below shows two computations for the input "bba". The computation on the left rejects the input since the state of the apex is "a"; but the computation on the right accepts the input since the state of the apex is "c". Since some computation results in an accepting state for the apex, the string "bba" is accepted by the NTA. The input "bbb" would be rejected by this NTA since the only computation results in the state "a" for the apex.



The states (and inputs) of an NTA are consecutive lowercase letters. Thus the states for a 5-state NTA are "a", "b", "c", "d", and "e". Accepting states are grouped at the end of the letters so that if a 5-state NTA has two accepting states, the accepting states are "d" and "e".

### Input

The input for your program is a sequence of NTA descriptions and strings (which are the inputs to the NTAs). An NTA description is given by the number of states  $n$  followed by the number of accepting states on one line separated by whitespace. The  $n \times n$  transition table follows in row-major order; each transition string is given on a separate line. Each NTA description is followed by its input strings, one per line. A string of "#" terminates the input strings. An NTA description in which the number of states is zero terminates the input for your program.

NTAs will have at most 15 states, input strings will be at most 15 characters.

### Output

For each NTA description, print the number of the NTA (NTA #1, NTA #2, etc. ). For each input string for an NTA print the word "accepted" or "rejected" followed by an echo print of the input string.

### Sample Input

### Output for the Sample Input

3 1  
a  
a  
c  
ca  
a  
b  
c  
b  
a  
bba  
aaaaa  
abab  
babba  
a  
baaab  
abbbaba  
baba  
bcbab  
#  
3 2  
ab  
a  
c  
a  
ab  
b  
c  
b  
ab  
abc  
cbc  
#  
0 0

NTA # 1  
accept bba  
reject aaaaa  
reject abab  
accept babba  
reject a  
accept baaab  
accept abbbaba  
accept baba  
reject bcbab

NTA # 2  
reject abc  
accept cbc



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**Problem**  
**Trucking**  
Input file: truck.in

Allied Container Movers (ACM) is a trucking company that provides overnight freight delivery. ACM has a distribution network with several intermediate container processing centers (ICPCs). At an ICPC, an incoming trailer is unloaded at a stripping door. Freight destined for that centers is simply acknowledged as received. Onward shipments are distributed to relay doors based on their intermediate or final destination, where they are loaded onto waiting trailers.

Each ICPC may have several stripping doors for unloading incoming trailers. When the number of trailers to be stripped exceeds the number of stripping doors, incoming trailers are queued until a door is available. A single trailer may have freight for several different ICPCs. Trailers with freight destined only for the local ICPC receive a lower priority for access to a stripping door than trailers with relay freight. In a similar fashion, trailers with relay freight having a closer final destination have lower priority than trailers with relay freight having a distant final destination. The time to unload a container and reload all its shipments onto one or more relay trailers is always 2 hours regardless of the size and number of shipments. A relay trailer is immediately routed to its next destination when it is full or when all shipments for the day expected for that destination have been loaded onto the trailer. Shipments are measured as a percent of a trailer volume and may be subdivided to the nearest percent in order to fill the trailer. There is no delay between a trailer departing and another trailer available at the relay or stripping doors. There is never a shortage of trailers for onward distribution.

In order to help ACM assess the efficiency of their network, you must write a program to determine the average time a trailer waits for access to a stripping door and identify those shipments which will not arrive in their entirety at their intermediate or final destinations on time.

**Input**

The input describes a possibly disjoint subset of the network's ICPCs and traffic patterns which must be analyzed.

The first line of the input contains an integer  $n$  which specifies the number of ICPC descriptions to be processed,  $1 \leq n \leq 100$ . This is followed by  $n$  descriptions, each describing one ICPC. Each description begins with a line containing three integers,  $c s d$ , where  $c$  is the center number,  $0 \leq c \leq 99$ ,  $s$  is the number of stripping doors at center  $c$ ,  $0 \leq s \leq 10$ , and  $d$  is the number of relay doors at center  $c$ ,  $0 \leq d \leq 10$ . There then follow  $d$  lines, one for each relay door. Each of these lines contains three integers,  $r v l$ , where  $r$  is the associated relay center's number,  $0 \leq r \leq 99$ ,  $v$  is the total volume of shipments to that center for the day, expressed as a percentage of trailer volume,  $0 \leq v \leq 900$  and  $l$  is the latest acceptable time for shipments to arrive at center  $r$ , expressed as minutes since the start of the day,  $0 \leq l \leq 1440$ .

The second part of the input describes some of the day's traffic. This part begins with one integer  $m$  on a line by itself indicating the number of trailer arrival records that follow,  $1 \leq m \leq 100$ . Each record begins with a line containing three integers,  $a c s$ , where  $a$  is the trailer's arrival time expressed as minutes since the start of the day,  $0 \leq a \leq 1440$ , at center number  $c$ , and  $s$  is the number of shipments in the trailer,  $0 \leq s \leq 10$ . Then all  $s$  shipments are described by  $s$  lines of 5 integers,  $i o r v t$ , representing the shipment identification code  $i$ ,  $0 \leq i \leq 99$ , the origin and next relay center numbers  $o$  and  $r$  respectively, the volume of the shipment  $v$  as a percentage of trailer volume and

the time  $t$  taken to travel from center  $c$  to destination  $r$  measured in minutes.  $t$  is zero if  $c$  equals  $r$ . Arrival records are in order of ascending values of  $a$ . No two records have the same pair  $(a,s)$ . All center numbers used as values for  $c$  and  $r$  will have an appropriate corresponding definition in the first part of the input, though the center numbers used for  $o$  need not.

### Output

For each of the  $n$  ICPCs, your program must write out a line describing the average wait time for stripping doors in the appropriate one of these two forms:

The average wait for a stripping door at ICPC  $c$  is  $###.##$  minutes.

There is no wait for a stripping door at ICPC  $c$ .

The average wait time is affected only by trailers which wait at least one minute for a stripping door.

Your program should then list all the shipments any part of which will not arrive at their intermediate or final destinations by any of the latest arrival times given along the route. This report should appear in columns headed as shown:

The late shipments are:

Id	Origin	Relay	Volume
----	--------	-------	--------

### Sample Input:

```

2
0 1 1
  8 40 600
8 3 4
  6 115 1200
  2 95 1260
 10 100 1440
  4 55 1380
7
500 0 1
 17 11 8 40 80
700 8 3
 24 11 8 45 0
 17 11 6 40 120
 23 11 10 15 600
720 8 1
 16 3 8 100 0
750 8 2
  4 15 2 50 180
  7 15 6 50 120
760 8 4
 14 3 4 25 300
 27 3 2 20 180
 33 3 10 35 600
 16 3 6 25 120
780 8 2
 12 9 2 25 180
 15 9 4 35 300
800 8 1
 19 18 10 50 600

```

### Output for the Sample Input:

The average wait for a stripping door at ICPC 8 is 63.3 minutes.

The late shipments are:

Id	Origin	Relay	Volume
23	11	10	15
33	3	10	35
19	18	10	50